# Simulating and unfolding LHC events with generative networks

OSU - HEP seminar

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#### The need for new physics



### The need for new physics



#### Era of data



#### Precision simulations with limited resources





[1807.11501] Cieri, Chen, Gehrmann, Glover, Huss

#### Precision simulations with limited resources



#### How can ML help analyzing data

- 1.0 Classification/Regression
  - $\rightarrow$  Label data, eg. Signal vs Background



minimize 
$$L = (y_{true} - y_{output})^2$$

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minimize  $L = (y_{true} - y_{output})^2$ 

+ low level observables + efficient training

#### Why now? $\rightarrow$ GPUs

 $\rightarrow$  new algorithms [convolutional networks]

### Comparative top tagging study



[1707.08966] G. Kasieczka, et al.

- $\rightarrow\,$  Other applications: jet calibration, particle identification, ...
- $\rightarrow$  Open questions: precision, uncertainties, visualization

#### How can ML help increasing precision

- ML 2.0 Generative models
  - $\rightarrow$  Can we simulate new data?





1. Generate phase space points

2. Calculate event weight

$$w_{event} = f(x_1, Q^2) f(x_2, Q^2) \times \mathcal{M}(x_1, x_2, p_1, \dots, p_n) \times J(p_i(r))^{-1}$$

3. Unweighting via importance sampling  $\rightarrow$  optimal for  $w \approx 1$ 









#### ... or training directly on event samples

#### Event generation

Generating 4-momenta

• $Z > II$ , $pp > jj$ , $pp > t\bar{t}$ +decay
[1901.00875] Otten et al. VAE & GAN
[1901.05282] Hashemi et al. GAN
[1903.02433] Di Sipio et al. GAN
[1903.02556] Lin et al. GAN
[1907.03764, 1912.08824] Butter et al. GAN
[1912.02748] Martinez et al. GAN
[2001.11103] Alanazi et al. GAN
[2011.13445] Stienen et al. NF
[2012.07873] Backes et al. GAN
[2101.08944] Howard et al. VAE

#### **Detector simulation**

- Jet images
- Fast calorimeter simulation

[1701.05927] de Oliveira et al. GAN
[1705.02355, 1712.10321] Paganini et al. GAN
[1802.03325, 1807.01954] Erdmann et al. GAN
[1805.00850] Musella et al. GAN
[1805.00850] T-PUB-2018.001, ATLAS-SIM-2019-004, ATL-SOFT-PUB-2018-001, ATLAS-SIM-2019-004, ATL-SOFT-PROC-2019-007] ATLAS VAE & GAN
[1909.01359] Carazza and Dreyer GAN
[1912.06794] Belayneh et al. GAN
[2005.05334, 2102.12491] Buhmann et al. VAE
[2009.03796] Diefenbacher et al. GAN
[2009.1017] Lu et al.

#### NO claim to completeness!

#### Generative Adversarial Networks



 $\begin{array}{ll} \textbf{Discriminator} & {}_{[D(x_r) \ \rightarrow \ 1, \ D(x_c) \ \rightarrow \ 0]} \\ L_D = \left\langle -\log D(x) \right\rangle_{x \sim P_{Truth}} + \left\langle -\log(1 - D(x)) \right\rangle_{x \sim P_{Gen}} \rightarrow -2\log 0.5 \end{array}$ 

 $\begin{array}{l} \textbf{Generator} \quad {}_{[D(x_c) \rightarrow 1]} \\ L_G = \big\langle -\log D(x) \big\rangle_{x \sim P_{Gen}} \end{array}$ 

## $\Rightarrow \text{ Nash Equilibrium} \\ \Rightarrow \text{ New statistically independent samples} \\$

#### What is the statistical value of GANned events?[2008.06545]

- Camel function
- Sample vs. GAN vs. 5 param.-fit

Evaluation on quantiles:

$$\mathsf{MSE}^* = \sum_{j=1}^{N_{\mathsf{quant}}} \left( p_j - rac{1}{N_{\mathsf{quant}}} 
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#### Sparser data $\rightarrow$ bigger amplification

#### How to GAN LHC events [1907.03764]

- $t\overline{t} \rightarrow 6$  quarks
- 18 dim output
  - external masses fixed
  - no momentum conservation
- + Flat observables  $\checkmark$
- Systematic undershoot in tails [10-20% deviation]





### Correlations



### Correlations



### Reaching precision (preliminary)

- 1. Representation  $p_T, \eta, \phi$
- 2. Momentum conservation
- 3. Resolve  $\log p_T$
- 4. Regularization: spectral norm
- 5. Batch information
- $\rightarrow~1\%$  precision  $\checkmark$

Next step automization

W + 2 jets



#### Information in distributions



(what we want)

Information in weight (what we have)

#### The unweighting bottleneck

- High-multiplicity / higher-order ightarrow unweighting efficiencies < 1%
- $\rightarrow$  Simulate conditions with naive Monte Carlo generator ME by Sherpa, parton densities from LHAPDF, Rambo-on-diet



#### Training on weighted events

Information contained in distribution or event weights



Train on weighted events



#### Training on weighted events

Information contained in distribution or event weights



$$\mathcal{L}_{D} = ig\langle -w \log D(x) ig
angle_{x \sim \mathcal{P}_{Truth}} + ig\langle -\log(1-D(x)) ig
angle_{x \sim \mathcal{P}_{Gen}}$$

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normalizing flow: B. Stienen, R. Verheyen [2011.13445]

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#### uwGAN results



Populates high energy tails

Large amplification wrt. unweighted data!

#### Short summary

We can ..

 $\rightarrow$  use GANs to learn event distributions and correlations

 $\rightarrow$  amplify underlying statistics

 $\rightarrow$  achieve precision

 $\rightarrow$  train directly on weighted events

 $\rightarrow$  boost precision simulations with generative networks

### Can we invert the simulation chain?



#### Invertible networks



[1808.04730] L. Ardizzone, J. Kruse, S. Wirkert, D. Rahner,

E. W. Pellegrini, R. S. Klessen, L. Maier-Hein, C. Rother, U. Köthe

+ Bijective mapping
+ Tractable Jacobian
+ Fast evaluation in both directions
+ Arbitrary networks s and t

#### Inverting detector effects



multi-dimensional  $\checkmark$  bin independent  $\checkmark$  statistically well defined ?

#### Including stochastical effects



Sample  $r_d$  for fixed detector event How often is Truth included in distribution quantile?



Problem: arbitrary balance of many loss functions

#### Taking a different angle

Given an event  $x_d$ , what is the probability distribution at parton level?  $\rightarrow$  sample over r, condition on  $x_d$ 

$$x_p \xleftarrow{g(x_p, f(x_d))}{\longleftarrow} r$$

$$\leftarrow \text{unfolding: } \bar{g}(r, f(x_d))$$



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$$\leftarrow \text{unfolding: } \bar{g}(r, f(x_d))$$

 $\rightarrow$  Training: Maximize posterior over model parameters

$$\begin{split} L &= -\langle \log p(\theta | x_p, x_d) \rangle_{x_p \sim P_p, x_d \sim P_d} \\ &= -\langle \log p(x_p | \theta, x_d) \rangle_{x_p \sim P_p, x_d \sim P_d} - \log p(\theta) + \text{const.} \leftarrow \text{Bayes} \\ &= -\left\langle \log p(\bar{g}(x_p, x_d)) + \log \left| \frac{\partial \bar{g}(x_p, x_d)}{\partial x_p} \right| \right\rangle - \log p(\theta) \leftarrow \text{change of var} \\ &= \langle 0.5 || \bar{g}(x_p, f(x_d)) ||_2^2 - \log |J| \rangle_{x_p \sim P_p, x_d \sim P_d} - \log p(\theta) \end{split}$$

 $\rightarrow$  Jacobian of bijective mapping

#### Cross check distributions



#### Condition INN on detector data [2006.06685]

$$x_p \xleftarrow{g(x_p, f(x_d))}{\longleftarrow \text{ unfolding: } \bar{g}(r, f(x_d))} r$$

 $\text{Minimizing } L = \left< 0.5 ||\bar{g}(x_p, f(x_d)))||_2^2 - \log |J| \right>_{x_p \sim P_p, x_d \sim P_d} - \log p(\theta)$ 



multi-dimensional  $\checkmark~$  bin independent  $\checkmark~$  statistically well defined  $\checkmark~$ 

#### Inverting the full event I

- $pp > WZ > q\bar{q}I^+I^- + ISR$
- $\rightarrow$  ISR leads to large fraction of 2/3/4 jet events
  - Train and test on exclusive channels



#### Inverting the full event II



### Going beyond unfolding



#### Infere splitting kernels





#### We can use ML ...

 $\ldots$  to enable precision simulations in forward direction

... to turn weighted into unweighted events

... to invert the simulation chain statistically

... for fun and precision :)

# BACK UP

### Amplification

5-dim sphere



#### Noise extended INN



#### Model dependence



### The GAN challenge

#### or Why do we need regularization?



Solutions: Additional loss or restricted network parameters

### Improving GAN training

#### Solutions

- Regularization of the discriminator, eg. gradient penalty [Ghosh, Butter et al., ...]
- Modified training objective:
  - Wasserstein GAN (incl. gradient penalty) [Lin et al., Erdmann et al., ...]
  - Least square GAN (LSGAN) [Martinez et al., ...]
  - MMD-GAN [Otten et al., ...]
  - MSGAN [Datta et al., ...]
  - Cycle GAN [Carazza et al., ...]
- Use of symmetries [Hashemi et al., ...]
- Whitening of data [Di Sipio et al., ...]
- Feature augmentation [Alanazi et al., ...]